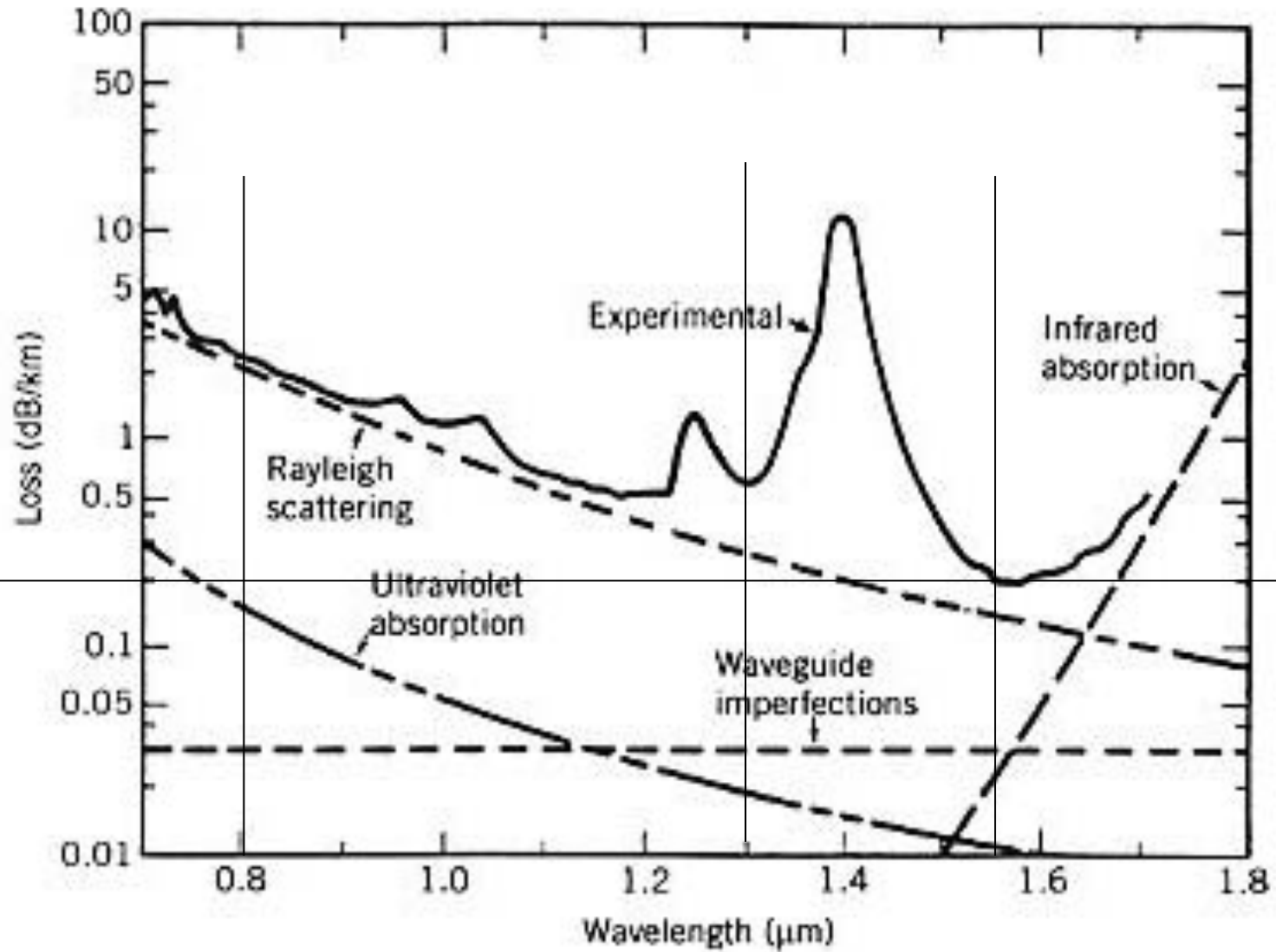




Attenuation and Loss Budgets





$$\frac{dP}{dz} = -\alpha P$$

α = attenuation coeff

P = optical power

$$P_{out} = P_{in} \exp(-\alpha L)$$

- $a_{(dB/km)} = (-10/L) \log_{10}(P_{out}/P_{in}) = 4.343 \alpha$
- $a \equiv$ “fiber loss”



- **Dispersion: pulse broadening**
- **Attenuation: loss**

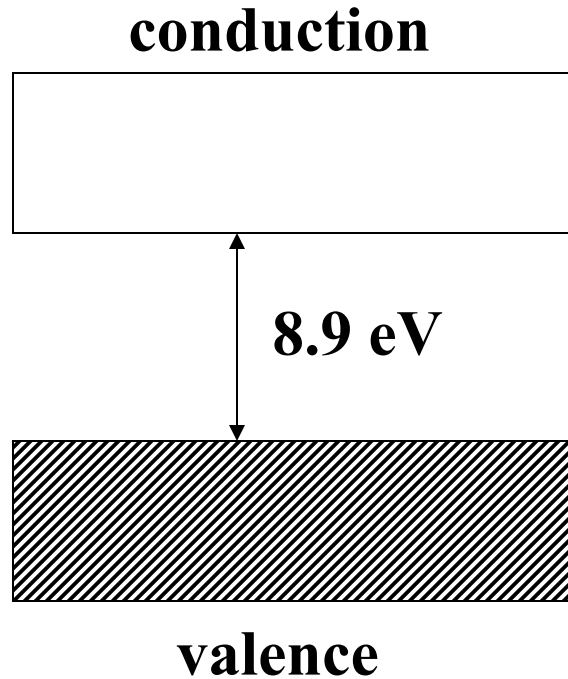
Power loss ultimately determines max distance



- **Material Absorption**
- **Rayleigh Scattering**
- **Waveguide Imperfections**



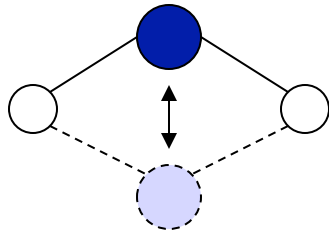
- **Electronic Transitions**
- **Vibrational Transitions**
- **Impurities**



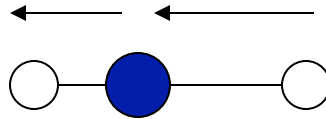
Material	E_{gap} (eV)	λ_{min}(μm)
PbS	0.37	3.34
GaAs	1.42	0.87
Si	1.12	1.10
Ge	0.67	1.85
InAs	0.35	3.54
Diamond	5.5	0.23
SiO₂	8.9	0.14



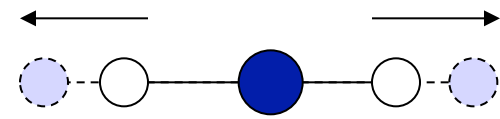
Bending



A. Stretch



S. Stretch



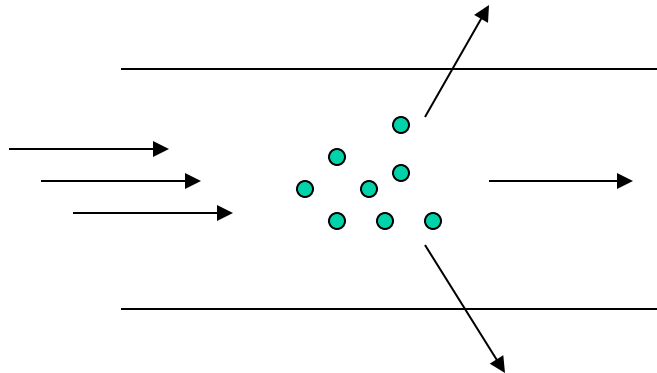
- **Fundamental = 40 THz \rightarrow 9 μm**
- **Overtone = 3.2, 3.8, and 4.4 μm**
with tails far from resonance



- **Fe, Cu, Co, Ni, Mn, Cr: 0.6 - 1.6 micron, 1 dB/km when < 1 ppb**
- **OH: 50 dB/km at 1390 nm when < 1 ppm
< 10 dB/km when < 10 ppb**
- **GeO₂, P₂O₅, B₂O₃**

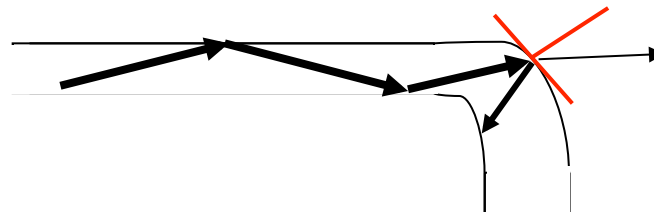


- **Density fluctuations**
- **Dominant at short wavelengths**
- **Solution: Use long wavelengths**
- **But: large IR loss in SiO_2**
- **Solution: ZBLAN**



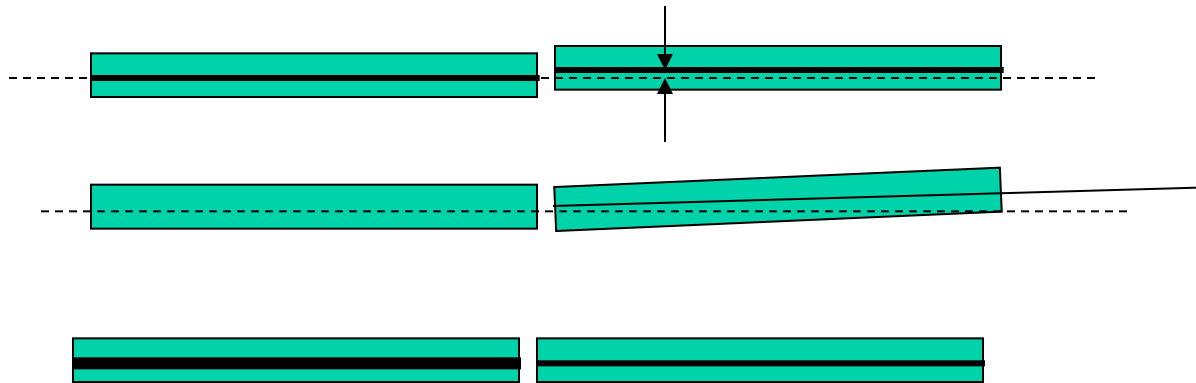


- **Mie scattering** - Density fluctuations and random variations in WG dimensions of $\sim \lambda$ and longer
- **Macrobends** - Bending loss characterized by R_c (critical bend radius), < 0.01 dB/km for radii > 5 mm
- **Microbends** - Random axial distortions when pressed against rough surface, up to 100 dB/km if not careful, use V close to singlemode cutoff for tight mode confinement





- Longitudinal
- Lateral misalignment
- Angular misalignment
- Mode field mismatch





- Coupling different types of fiber such as between transmission fiber and EDFA
- Laser diode mode does not match the fiber propagation mode shape: edge emitting lasers vs VCELs (easier to match with VCSELs)
- Fiber output needs to be coupled to the photodiode



- **mode field mismatch**

$$a_{\text{mfd}} = -20 \log\{(2 w_1 w_2)/(w_1^2 + w_2^2)\}$$

- **lateral misalignment**

$$a_{\text{transverse}} = 4.34 (u/w); w_1 = w_2$$

- **angular misalignment**

$$a_{\text{angular}} = 4.34 (\pi n w \theta / \lambda)^2$$

θ in radians

n is index of intervening medium

- **longitudinal misalignment**

$$a_{\text{gap}} = 10 \log(1+D^2)$$

$$D = D_{\text{gap}} \lambda / (2\pi n w^2)$$

Example 1: Power Budget



- A $1.3 \mu\text{m}$ lightwave system uses a 50 km fiber link and requires $0.3 \mu\text{W}$ at the receiver. The fiber loss is 0.5 dB/km. Fiber is spliced every 5 km and has two connectors of 1-dB loss at both ends. Splice loss is only 0.2 dB. Determine the minimum power that must be launched in the fiber.

Example 2: Power Budget



- A 1.3 μm lightwave system is based on a fiber link with 0.5 dB/km loss.
- LED 1.59 mW output with a 16 dB coupling loss
- Connector and splice losses \sim 6 dB total
- PD minimum power required = -30 dBm to meet specified bit error rate (BER of 10^{-9} typical)
- Assume 4 dB loss margin (e.g. LED aging, fiber degradation)